

PRIVACY-PRESERVING MACHINE LEARNING ON GRAPHS

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OUTLINE

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- 2. Graph Neural Networks
- 3. Privacy Attacks on GNNs
- 4. Differential Privacy
- 5. Differentially Private GNNs
- 6. Conclusion and Future Work

INTRODUCTION

GRAPHS ARE UBIQUITOUS



Knowledge Graphs



Molecules



Social Networks

Image source (from left to right): https://yashuseth.blog/2019/10/08/introduction-question-answering-knowledge-graphs-kgqa/, https://en.wikipedia.org/wiki/Terpenoid,

https://yashuseth.blog/2019/10/08/introduction-question-answering-knowledge-graphs-kgqa/

GRAPH-BASED MACHINE LEARNING TASKS

Node Classification / Regression

- Given a graph, which is the class label / value of a node?
- **Example:** face account detection



Link Prediction

- Given a graph, which links are likely to form?
- **Example:** recommendation systems



Graph Classification

- ► Given a graph, predict its label
- **Example:** antibiotic discovery



Antibiotic? Or Not

GRAPH REPRESENTATION LEARNING

- ▶ We need to learn representation of nodes in a low-dimensional space
 - Similar nodes in the graph should be mapped close to each other in the embedding space



Graph Neural Networks (GNNs) are state-of-the-art representation learning algorithms for graphs.

► Graph data could be privacy-sensitive

- e.g., users' personal attributes, financial transactions, medical/biological networks, . . .
- ► Graph-based ML algorithms are vulnerable to privacy attacks
 - e.g., link stealing attack [He et al., 2021] or membership inference attack [Olatunji et al., 2021]

We need privacy-preserving machine learning algorithms for graph data!

GRAPH NEURAL NETWORKS

GNNS LEARN NODE EMBEDDINGS



- A: Adjacency matrix
- X: Input node features
- Y: Predicted node labels
- H⁽ⁱ⁾: Hidden node representations of layer *i* **AGG**: Aggregation function
 - e.g., summation: $AGG(H, A) = A^T \cdot H$
- **UPD**: Learnable update function
 - e.g., an MLP



GNNs Unfolded



PRIVACY ATTACKS ON GNNS

MEMBERSHIP INFERENCE: KEY IDEA

- Exploiting the statistical difference of the posterior class probabilities between train and test nodes
 - GNNs are more confident when predicting labels for the training data
 - Nodes with high output confidence are likely members of the training set



MEMBERSHIP INFERENCE: ATTACK METHODOLOGY

- ► Assumptions:
 - Attacker has access to the posterior class probabilities of the GNN
 - Attacker has access to a shadow graph dataset similar to the target graph
- Attack Methodology [Olatunji et al., 2021]:



MEMBERSHIP INFERENCE: ATTACK RESULTS



Exploits the similarity of prediction posteriors for connected nodes

► If two nodes are connected, then their prediction scores are likely similar

Assumptions

- Attacker has access to the posterior class probabilities of the GNN
- Attacker has access to an **auxiliary subgraph** of the original graph

- Obtain the prediction scores from the target GNN for every node pair in the auxiliary graph
- Extract features from the obtained scores for each node pair
 - features based on **distance metrics** (cosine, euclidean, etc), **vector operations** (average, hadamard product, etc), and **entropy**
- ▶ Train an MLP using the extracted features and the link state in the auxiliary graph
- Use the trained MLP to infer the link between any node pair in the original graph

LINK INFERENCE: ATTACK RESULTS



DIFFERENTIAL PRIVACY

Differential Privacy [Dwork et al., 2006]

Randomized algorithm A is (ϵ, δ) -differentially private if for all **neighboring** datasets $D \simeq D'$ and all sets of outputs S:

 $\Pr[A(D) \in S] \le e^{\epsilon} \Pr[A(D') \in S] + \delta$



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- The neighboring relation captures what is protected
 - Standard DP: D and D' differ by at most one record
 - Edge-level DP: *D* and *D'* are graphs differing by at most one edge
 - Node-level DP: D and D' are graphs differing by at most one node (and all its adjacent edges)

DIFFERENTIALLY PRIVATE ML

Differentially private learning is possible with noisy gradient descent



DP-SGD Algorithm [Abadi et al., 2016]

input : Data $\{\vec{x}_1, \dots, \vec{x}_N\}$, learning rate η , batch size *B*, epochs *T*, **clipping threshold** *C*, **noise variance** σ^2 , 1 Initialize $\vec{\theta}_0$ randomly

for $t \in [T \cdot \frac{N}{B}]$ do

2 Sample a batch \vec{B}_t by selecting each \vec{x}_i independently with probability $\frac{B}{N}$

3For each
$$\vec{x}_i \in \vec{B}_t$$
: $\vec{g}_t(\vec{x}_i) \leftarrow \nabla_{\vec{\theta}_t} L(\vec{\theta}_t, \vec{x}_i)$ // compute per-sample gradients4 $\vec{g}_t(\vec{x}_i) \leftarrow \text{clip}(\vec{g}_t(\vec{x}_i), C)$ // clip gradients to max norm C5 $\vec{g}_t \leftarrow \frac{1}{B} \left(\sum_{\vec{x}_i \in \vec{B}_t} \vec{g}_t(\vec{x}_i) + \mathcal{N}(0, \sigma^2 \vec{l}) \right)$ // add Gaussian noise with variance σ^2 6 $\vec{\theta}_{t+1} \leftarrow \vec{\theta}_t - \eta \vec{g}_t$ // SGD stependoutput: $\vec{\theta}_{\vec{1N}}$

DIFFERENTIALLY PRIVATE GNNs

DP GNN CHALLENGES: EXPLODING SENSITIVITY



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The number of affected outputs = $O(\max \text{ degree}^{num \text{ layers}})$

Private Learning: Standard Neural Nets



Inference is independent of the training data

DIFFERENTIALLY PRIVATE GNN CHALLENGES: INFERENCE PRIVACY

- ► GNN re-uses graph data for inference
- Private information leaks at inference, even with a private model



Private Learning: Graph Neural Nets



Both training and inference should be private

OUR APPROACH: AGGREGATION PERTURBATION

► Aggregation Perturbation: adding noise to output of the aggregation step

- Prevents the exploding sensitivity problem by composing differentially private aggregation steps
- Ensures inference privacy
- Applying aggregation perturbation to the conventional GNNs is costly
 - Every forward pass of the model consumes privacy budget
 - The excessive noise results in poor performance

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Need to tailor the GNN architecture to the private learning setting!

GNN WITH AGGREGATION PERTURBATION (GAP) [SAJADMANESH ET AL., 2022



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1. Encoder Module

- Learns to encode node features into lower-dimensional representations
- Does not use graph adjacency information



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2. Aggregation Module

- Computes aggregated node representations at multiple hops privately using the aggregation perturbation approach
- Uses graph adjacency information



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3. Classification Module

- Learns to perform node-wise classification based on aggregated node representations
- Does not re-use graph adjacency information



Advantages of GAP Architecture

✓ Edge-level DP



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- $\checkmark~$ Node-level DP through combination with DP-SGD
 - For bounded-degree graphs



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 - For bounded-degree graphs
- ✓ Multi-hop aggregations



ADVANTAGES OF GAP ARCHITECTURE

- ✓ Edge-level DP
- \checkmark Node-level DP through combination with DP-SGD
 - For bounded-degree graphs
- ✓ Multi-hop aggregations
- $\checkmark~$ Zero-cost inference privacy



► Task: Node Classification

DATASET	CLASSES	Nodes	Edges	Features	Avg. Degree
Facebook	6 Year	26,406 User	2,117,924 Friendship	501	62
Reddit	8 Community	116,713 Розт	46,233,380 Mutual User	602	209
Amazon	10 Category	1,790,731 Ргодист	80,966,832 Mutual Purchase	100	22

Accuracy of Non-Private Methods

Method	Facebook	Reddit	Amazon
${ m GAP-}\infty$ sage- ∞	80.0 ± 0.48	99.4 ± 0.02	91.2 ± 0.07
	83.2 ± 0.68	99.1 ± 0.01	92.7 ± 0.09

EDGE-LEVEL DP ACCURACY-PRIVACY TRADE-OFF



NODE-LEVEL DP ACCURACY-PRIVACY TRADE-OFF



Mean AUC of node-level membership inference attack.

DATASET	Method	$\epsilon = 1$	$\epsilon = 2$	$\epsilon = 4$	$\epsilon = 8$	$\epsilon = 16$	$\epsilon = \infty$
Facebook	GAP-NDP	50.16	50.25	50.61	51.11	52.66	81.67
	SAGE-NDP	50.25	50.20	50.23	50.17	50.20	62.49
	MLP-DP	50.32	50.72	52.13	53.44	54.77	81.57

CONCLUSION AND FUTURE WORK

CONCLUSION

- ► GNNs leak private information
 - They are vulnerable to privacy attacks
- ► Implementing DP in GNNs is challenging
 - Exploding sensitivity
 - Inference privacy
- ► Our Differentially Private GNN: GAP
 - Ensures both edge-level and node-level DP
 - Supports multi-hop aggregations
 - Provides inference privacy

- ► How to achieve DP in more expressive GNN architectures?
- ▶ How to achieve DP in link-level or graph-level tasks?
- ► How to achieve DP in dynamically changing graphs?
- ► How to achieve DP in heterogeneous graphs (e.g., knowledge graphs)?

THANK YOU!

Questions?

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